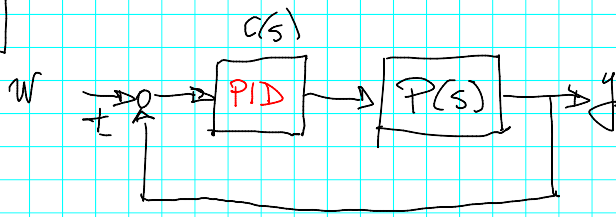
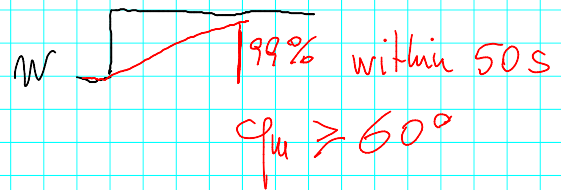


13/03/2019

$\frac{1}{s}$



$$P(s) = \frac{10}{(1+100s)(1+5s)}$$



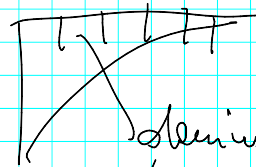
Q1D  $C(s) = K \left( 1 + \frac{1}{sT_i} + \frac{sT_d}{1+sT_d/x} \right)$  ISA

$$= K \frac{(1+sT_1)(1+sT_2)}{s(1+sT)}$$

settling time 50s

dominant CLTC 10s

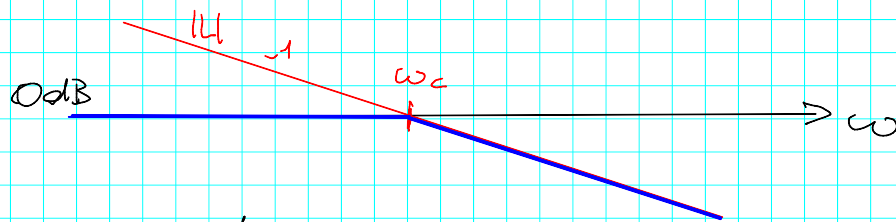
$$\omega_c = 0.1$$



dominant closed-loop  
time constant

3) would like to have

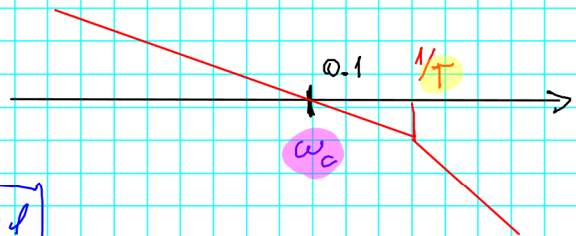
$$L(s) = C(s)P(s) \approx \frac{\omega_c}{s}$$



$$\frac{L}{1+L} \approx \frac{1}{1+s/\omega_c}$$

$$L(s) = K \frac{\cancel{(1+100s)} \cancel{(1+5s)}}{s(1+5T)} \cdot \frac{10}{\underbrace{\cancel{(1+100s)} \cancel{(1+5s)}}_{P(s)}}$$

$$= \frac{10K}{s(1+5T)}$$



$$10K = 0.1 \Rightarrow \boxed{K = 0.01}$$

5

$$\text{need } \phi_u = 60^\circ$$

$$\arctan^e(0.1T) = 30^\circ$$

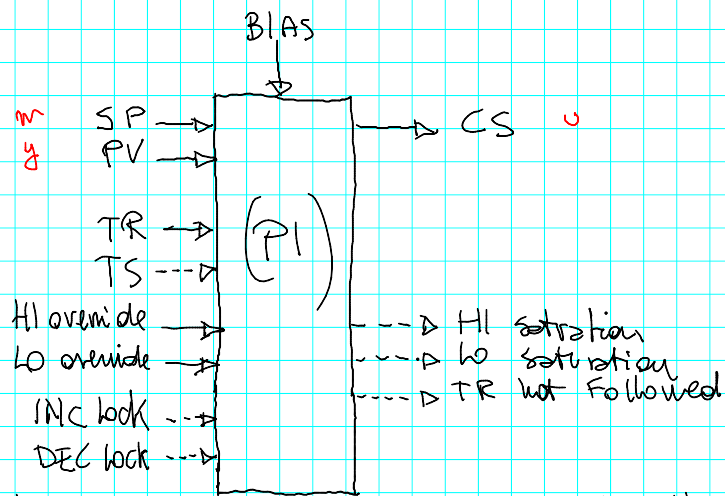
 $\uparrow$   
 $\omega_2$ 

... ..

---

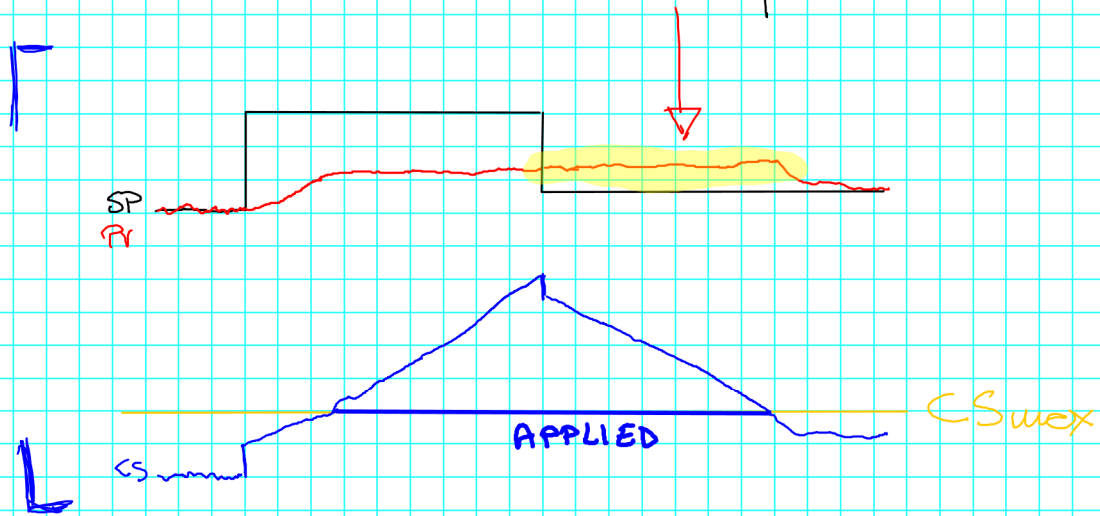
# REGULATORS FOR COMPLEX CONTROL SCHEMES

typical block

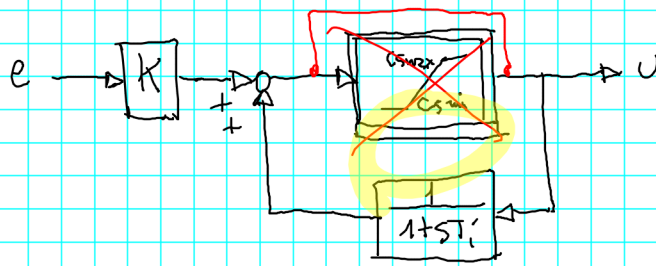


For simplicity here we refer to a PI controller

Standard 1 dof PI with antiwindup



8



no saturation (-)

$$\frac{U}{E} = K \frac{1}{1 - \frac{1}{1+sT_i}} =$$

$$= K \frac{1+sT_i}{\cancel{1+sT_i} \cdot \cancel{1}} \quad (PI)$$

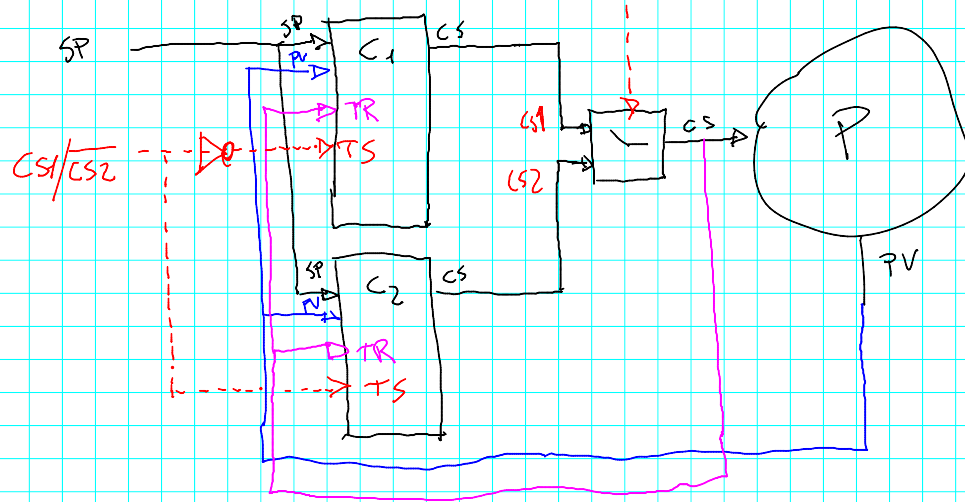
saturation  $\Rightarrow$  loop opens  $\Rightarrow$  no integrator anymore



② Tracking

$\begin{cases} TS = F \Rightarrow CS \text{ computed normally} \\ TS = T \Rightarrow CS = TR \end{cases}$

$\overline{CS_1/CS_2}$  meaning  $\begin{cases} T \text{ pass } CS_1 \\ F \text{ in } CS_2 \end{cases}$



④ BIAS

A controller input that is added to the CS value computed by the control law

④ ③ override (41)

