

04/05/2014

DEMAND-SIDE CONTROL (DSC)

http://www.cigre.org.br/archives/pptcigre/03_control_of_active_power_&_frequency.ppt

http://www.der-lab.net/downloads/phd11_03_applications_of_luo.pdf

<http://users.ece.utexas.edu/~kwasinski/EE394J10opcont.ppt>

http://www.nist.gov/pml/high_megawatt/upload/Casey.pdf

CAVEAT #1 unrenewed material!

CAVEAT #2 just the high-level
scenario & some
examples...

DSC: (also) the loads act to control
the network (basically, for us, frequency)

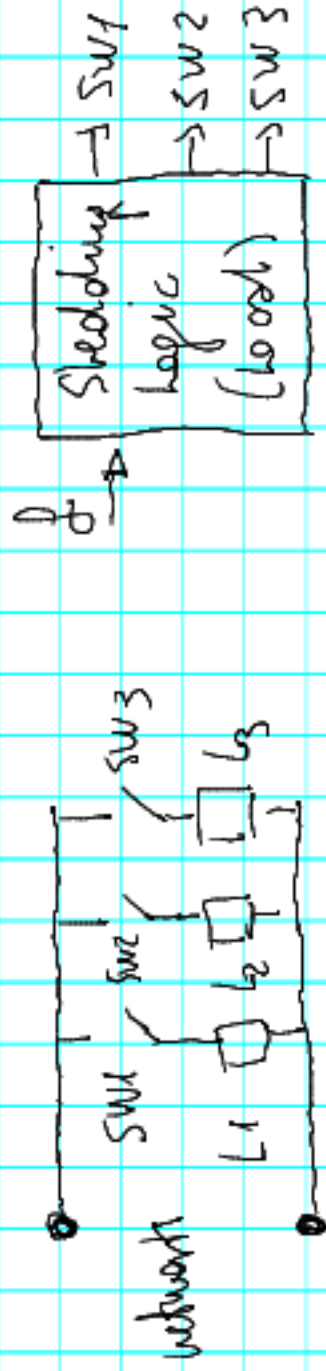
² A generator can be configured to shed some loads under certain frequency conditions

However this is not very practical



↑ This can shed progressively, but each load needs connecting to the proper line

³ One can do the same at the local level

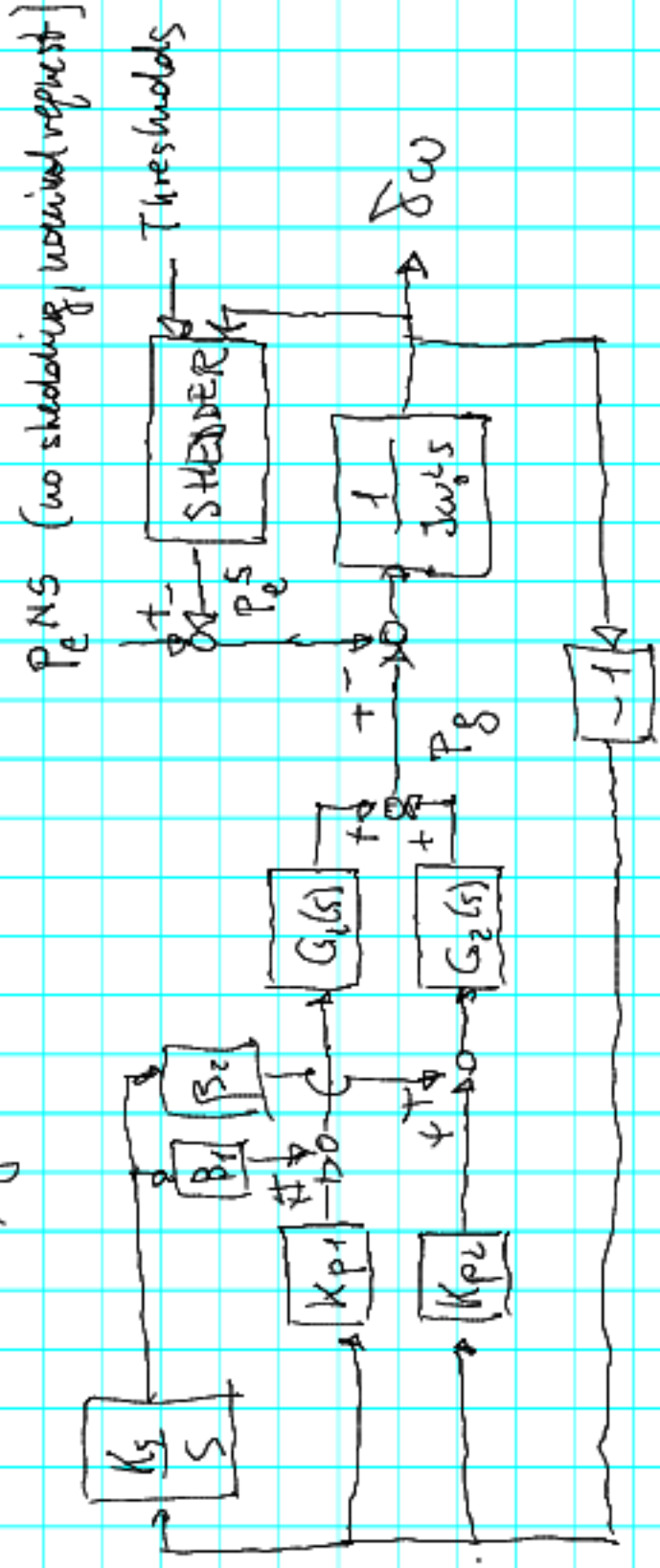


PRO: decentralised (1 line from network to local)

CON: the characteristics of local logics
need stipulating thoroughly

NOTE: logic may be dynamic, e.g. Shed
in f below f for $\approx$ time longer than $\hat{f} \dots$

Effect on P/f control at the network level



NOTE: with this we describe/simulate how much of the load is rejected by shedding, not WHICH loads

5 Main problems

- 1) Decide how the contrived effect of local shedders has to show up at the network level
Frequency requirements $\Rightarrow$ equivalent network-level
Frequency thresholds (and intervention times)
- 2) FAR more difficult
turn the above into prescriptions for local shedders

Other possibilities for DSC (same examples)

• Load Shifting

Minimised power request
over time for a certain load



(start of horizon, e.p. day)

1) move it over time

$t_1 \rightarrow t_1 + \delta$
2
3

← decision variable in a
cost minimisation problem

• load re-distributing

$$\int_{t_1}^{t_2} P_{loadN}(t) dt \geq E_{min} \Rightarrow \text{CONSTRAINT}$$

$$\int_{t_1}^{t_2} (P_{loadN}(t) - P_{scheduled}(t))^2 dt \leq \text{Max difference}$$

decision variables: t_1, t_2
 $P_{load}(t)$ profile

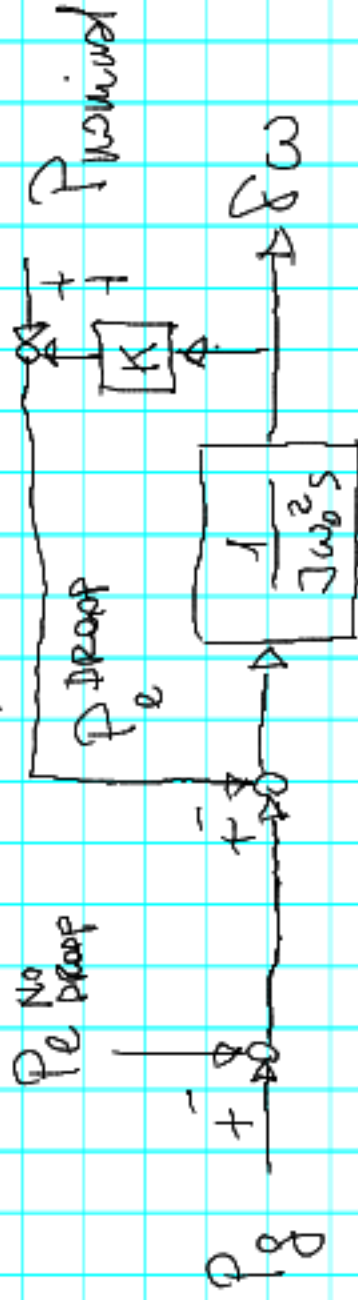
8

loads with "local droop"



f_c
NOMINAL
 f
 ω
 $\dots$

From the P/Q control viewpoint



$$P_{\text{required}} = P_{\text{required}} + K_{\text{droop}} (P - P_{\text{required}})$$

this can be seen as $\delta\omega$

10 Remark:

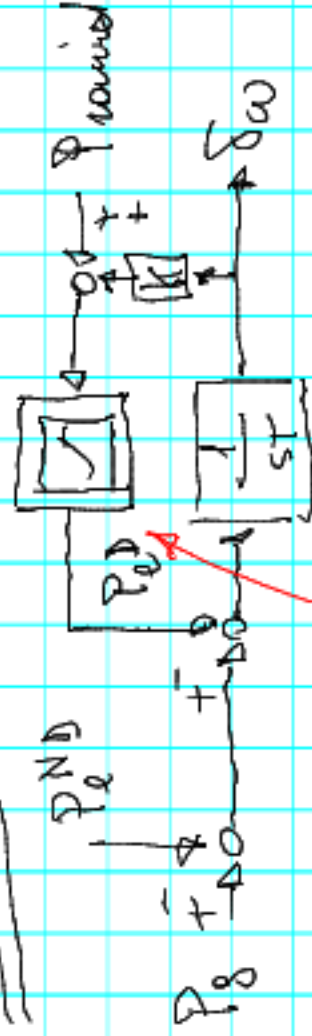


$$\Rightarrow \frac{1/sT}{1+K/sT} = \frac{1}{K+sT}$$

No more integrator!

"However not all the loads can have a droop

We could view this as



For large enough $\delta\omega$ variations
this loop opens

¹² Also, local droops may require to draw power
that the local user not be willing / capable of
absorbing $\Rightarrow$ storage
One possibility:

